

Volume of sculpture

Cuboid = $32.5 \times 51 \times 56 = 92820 \text{cm}^3$

Sphere = $\frac{4}{3} \pi \times 9.5^3 = 3591.364002 \text{cm}^3$

Hemisphere = $\frac{1}{2} \left(\frac{4}{3} \pi \times 20.5^3 \right) = 18043.47561 \text{cm}^3$

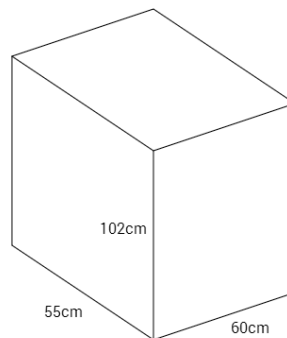
Cylinder = $\pi \times 10^2 \times 44 = 13823.00768 \text{cm}^3$

Total volume = $128277.8473 \text{cm}^3 = 0.1282778473 \text{m}^3$

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Volume of box

= $0.55 \times 0.6 \times 1.02$
 = 0.3366m^3
 = 336600cm^3



Volume left over from box
 = $336600 - 128277.8473$
 = 208322.1527cm^3

Length of fence
 = $(111 + 116) \times 2 = 454 \text{cm} = 4.54 \text{m}$

2

Area of paving
 = $111 \times 116 = 12876 \text{cm}^2 = 1.2876 \text{m}^2$

- One cuboid = $51 \times 56 \times 32.5 = 92820 \text{cm}^3$ for base
- One cuboid = $20 \times 20 \times 44 = 17600 \text{cm}^3$ for cylinder
- One cuboid = $19 \times 19 \times 19 = 6859 \text{cm}^3$ for sphere
- One cuboid = $41 \times 41 \times 20.5 = 34460.5 \text{cm}^3$ for hemisphere

4

Maximum total volume required
 = $92820 + 17600 + 6859 + 34460.5$
 = 151739.5cm^3
 = 0.1517395m^3

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