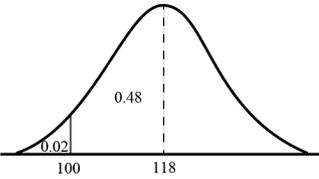


Assessment Schedule – 2025

Mathematics and Statistics: Apply probability methods in solving problems (91267)

Evidence

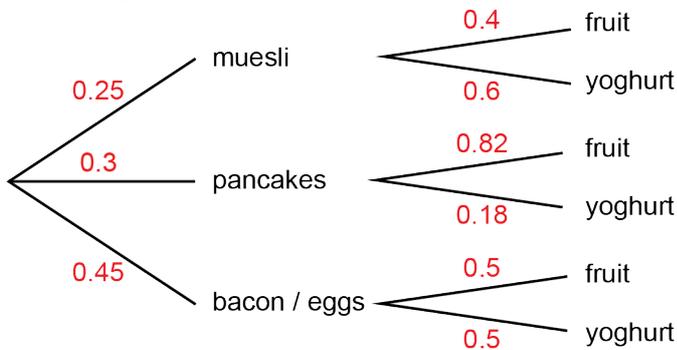
Q	Evidence	Achievement	Achievement with Merit	Achievement with Excellence
<p>ONE (a)(i)</p> <p>(ii)</p> <p>(iii)</p>	<p>$P(X > 100) = 0.8283$</p> <p>$\mu = 118, SD = 19$ $P(100 < X < 120) = P(-0.95 < Z < 0.11)$ $= 0.370 = 37\%$</p> <p>$0.5 - 0.1 = 0.4 \quad z = -1.281$ $P(X < x) = 0.1$ OR Using $z = \frac{X - 118}{19}$ Then $-1.281 = \frac{X - 118}{19}$ $= 93.65 \text{ g}$</p>	<ul style="list-style-type: none"> • Probability correct. • Probability correct, expressed as a percentage. • CAO OR $\pm z$-value. 	<ul style="list-style-type: none"> • Correct answer given. • Some evidence of working using formula or clearly labelled diagram must be shown. 	
(b)	<p>$P(x < 10) = 0.02$ $0.5 - 0.02 = 0.48$ $Z = -2.054$ Altering the Standard deviation:</p>  <p>$Z = -2.054$ $\frac{100 - 118}{\sigma} = -2.054$ $\frac{-18}{\sigma} = -2.054$ $\sigma = 8.76$</p>	<ul style="list-style-type: none"> • Correct z-value. (negative.) OR CAO. 	<ul style="list-style-type: none"> • Correct standard deviation found, with valid working, using the correct negative z-score. 	

<p>(c)(i)</p> <p>(ii)</p>	<p>$\frac{80}{430} = 0.186 = 0.19$ $\frac{1}{4} = 0.25$ $0.19 < 0.25$, so claim is true.</p> <p>Shape Saturday wait times are asymmetrical and skewed to the right, with the bulk of the data between 8 and 15 minutes. Sunday wait times are approximately normal and almost symmetrical, with more people waiting about 22 minutes than a normal distribution would have. Has a bell-shaped curve. Both distributions are unimodal with a single peak. The most common wait time on a Saturday is between 11–12 minutes, whereas on a Sunday it is slightly longer between 13 – 14 minutes.</p> <p>Centre Sunday wait times tend to be longer than Saturday wait times. (1) On Saturday, the mean wait time would be slightly longer than 12 minutes (as skewed). On Sunday, the mean wait time is between 13 – 14 minutes (as normal distribution). The median wait time on a Saturday is between 12 – 13 minutes, whereas the median wait time on a Sunday is between 13 – 14 minutes.</p> <p>Spread There is more variation in Saturday wait times compared to Sunday. On Sunday, the standard deviation is 2.3 minutes ($\frac{14}{6}$), whereas Saturday standard deviation is not easily calculated, as it is not a normal distribution. Saturday wait time is skewed, so the standard deviation will be different. IQR (middle 50%) of Saturday (approx. $14.5 - 10.5 = 4$) is wider than Sunday (approx. $15 - 12.5 = 2.5$). i.e. More variation in the middle 50% of the Saturday waiting times.</p>	<ul style="list-style-type: none"> • Probability calculated. AND Claim justified. • General statements about both graphs, discussing ONE of shape, centre, spread. 	<ul style="list-style-type: none"> • Statements giving comparisons about both distributions on TWO, out of shape, centre, spread AND including some correct numerical evidence, in at least one of the two comments. 	<p>T1: Statements giving values and comparisons about both distributions on all THREE, out of shape, centre, spread, using correct terminology AND including a statement equivalent to (1).</p> <p>T2: Statements giving values and comparisons about both distributions on all THREE of shape, centre, spread, using correct terminology AND including a statement equivalent to (1). AND including a spread comment that include either interquartile range OR a standard deviation comment.</p>
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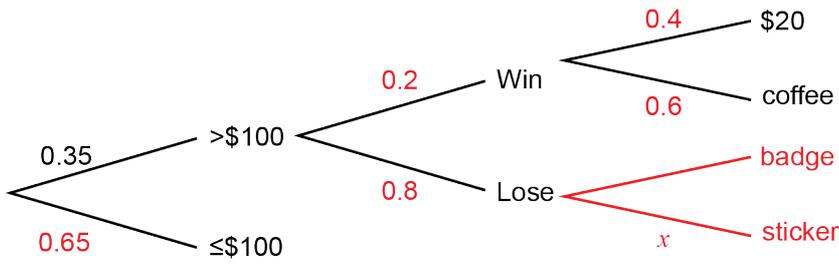
NØ	N1	N2	A3	A4	M5	M6	E7	E8
No response; no relevant evidence.	A valid attempt at one question.	1 u	2 u	3 u	1r	2r	T1	T2 or 2T1

Q	Evidence	Achievement	Achievement with Merit	Achievement with Excellence
TWO (a)(i)	$0.3 \times 0.82 = 0.246$	<ul style="list-style-type: none"> Correct probability. 		
(ii)	$(0.25 \times 0.6) + (0.3 \times 0.18) + (0.45 \times 0.5)$ $= 0.15 + 0.054 + 0.225 = 0.429$ Then $0.429 \times 250 = 107.25$ i.e. 107 (or 108) customers	<ul style="list-style-type: none"> Correct probability of choosing yoghurt (0.429). 	<ul style="list-style-type: none"> Correct expected number. Must be a whole number. 	
(b)(i)	$0.35 \times 0.8 = 0.28$ $0.28 + 0.65 = 0.93$	<ul style="list-style-type: none"> Correct probability (0.93). 		
(ii)	Probability that a customer who spent over \$100 wins a prize: $\frac{1}{5} = 0.2$ Probability that a prize winner receives a free coffee: $= 1 - 0.4 = 0.6$ Probability that a randomly selected customer who spent over \$100 has won a free coffee: Using conditional probability: $= 0.6 \times 0.2 = 0.12$	CAO OR Finds probability that a customer receives a free coffee $(0.35 \times 0.2 \times 0.6 = 0.042)$	<ul style="list-style-type: none"> Correct conditional probability, with evidence of valid working. 	
(iii)	$P(\text{winning sticker}) = 0.35 \times 0.8 - 0.21 = 0.28 - 0.21 = 0.07.$ (1) $P(\text{sticker} / \text{consolation}) = 0.8 \times 0.35 \times x = 0.07$ $x = 0.25$ OR $P(\text{winning badge}) = 0.35 \times \frac{4}{5} \times y$ i.e. $0.21 = 0.28y$ $y = 0.75$ $P(\text{sticker} / \text{consolation}) = 1 - 0.75 = 0.25$	<ul style="list-style-type: none"> CAO. 	<ul style="list-style-type: none"> Correct probability of winning a sticker. (1) with evidence of working. 	T1: Correct algebraic equation set up to calculate x or y . OR Using clear working to find $\text{prob} = 0.75$ but then calculates $0.35 \times 0.8 \times 0.25 = 0.07$ T2: Correct probability of winning a sticker, given a consolation prize, with working.

Probability tree for Question Two (a)



Probability tree for Question Two (b)



N0	N1	N2	A3	A4	M5	M6	E7	E8
No response; no relevant evidence.	A valid attempt at one question.	1 u	2 u	3 u	1r	2r	T1	T2

Q	Evidence	Achievement	Achievement with Merit	Achievement with Excellence
THREE (a)(i)	$\frac{125}{650} = 0.192 \times 100 = 19.2\%$	<ul style="list-style-type: none"> Probability correct, expressed as a percentage. 		
(ii)	$\frac{184}{280} = \frac{23}{35} = 0.6571$	<ul style="list-style-type: none"> CAO. 		
(iii)	$\frac{370}{650} + \frac{125}{650} - \frac{105}{650} = \frac{390}{650} = \frac{3}{5} = 0.6$	<ul style="list-style-type: none"> Probability of $\frac{495}{650} = 0.7615$. 	<ul style="list-style-type: none"> Correct probability. 	
(b)(i)	<p>According to the table: Teenagers = 76 Adults = 150 $76 \times 2 = 152$ This is slightly more than 2 times.</p>	<ul style="list-style-type: none"> Correct reasoning explained. 		
(ii)	<p>$P(\text{adult ordering mocha}) = \frac{150}{370} = \frac{15}{37} = 0.4054$</p> <p>$P(\text{teen ordering mocha}) = \frac{76}{280} = \frac{19}{70} = 0.2714$</p> <p>But 2×0.2714 does not equal 0.4054 so the owner is wrong, it is not double. OR Relative Risk = $\frac{\text{adults}}{\text{teenagers}}$ $= \frac{150/370}{76/280} = \frac{0.4054}{0.2714} = 1.4936$</p> <p>It is 1.5 times as likely for an adult than a teenager to order a mocha.</p>	<ul style="list-style-type: none"> At least ONE correct probability calculated. 	<ul style="list-style-type: none"> Both probabilities given. AND Correct conclusion. OR Relative Risk calculated AND interpreted. 	
(c)	<p>Anxiety/teenager = $\frac{267}{290} = 0.685$</p> <p>Anxiety/adult = $\frac{80}{210} = 0.381$</p> <p>$RR = \frac{0.685}{0.381} = 1.797 = 1.8$</p> <p>Teenagers are 1.8 times as likely to experience coffee-induced anxiety compared to adults. OR Teenagers are 80% more likely to experience coffee induced anxiety compared to adults. The researcher's claim is correct.</p>		<ul style="list-style-type: none"> Relative risk calculated. OR Use of multiplicative inverse. 	<ul style="list-style-type: none"> T1 – Correct relative risk. AND Correct interpretation. T2 – Correct relative risk. AND Correct interpretation. AND Claim evaluated.

NØ	N1	N2	A3	A4	M5	M6	E7	E8
No response; no relevant evidence.	A valid attempt at one question.	1 u	2 u	3 u	1r	2r	T1	T2

Cut Scores

Not Achieved	Achievement	Achievement with Merit	Achievement with Excellence
0–7	8–13	14–19	20–24